

# Séminaire de Probabilités et Statistique

**Mercredi 07 mars à 14h00**

Laboratoire Dieudonné

Salle de Conférences

**Sylvain Carrozza**

(Perimeter Institute, Canada)

*The large  $N$  melonic limit of  $O(N)$  tensor models*

Tensor models are generalizations of matrix models which describe the dynamics of fields with  $r \geq 2$  indices. As discovered some years ago, they enjoy a large  $N$  expansion which is (perhaps surprisingly) much simpler than the large  $N$  expansion of matrix models. It is dominated by the so-called "melonic" family of Feynman diagrams, which can sometimes be resummed explicitly. Following Witten and Klebanov-Tarnopolsky, this has recently led to the definition of solvable strongly coupled quantum theories, which reproduce the main properties of the celebrated Sachdev-Ye-Kitaev condensed matter models. Most of the literature on tensor models focuses on tensor degrees of freedom transforming under  $r$  independent copies of a symmetry group  $G$ , one for each index (for definiteness, I will focus on  $r=3$  and  $G=O(N)$ ). This large symmetry plays a crucial role in the analysis of the  $1/N$  expansion, so much so that it was generally believed to be essential to its existence. After summarizing these results, I will outline the recent proof that irreducible  $O(N)$  tensors (e.g. symmetric traceless ones) also support a melonic  $1/N$  expansion. This in particular confirms a conjecture recently put forward by Klebanov and Tarnopolsky, which had only been checked numerically up to order 8 in perturbative expansion.